## M.Sc. (PREVIOUS)

## MP-01 MATHEMATICAL PHYSICS

(Questions will be set from each unit/section with internal choice)

of gradient, divergence and curl in polar, spherical and cylindrical coordinate systems.	Units	Topics Part and Part
of gradient, divergence and curl in polar, spherical and cylindrical coordinate systems.  Eigenvalue problem, Cayley-Himilton theorem, Function of Matrix, Kronecker sum and product of matrices.  Definition of Tensor, Coordinate transformation, Contravarient, Covarient and Mixed tensors. Addition, subtraction, multiplication and contraction operations with tensor. Quotient law. Christofiels symbols.  II Partial Differential Equations and Group Theory  Solutions of the following partial differential equations with boundary and initial conditions.  Replace equation, Poisson equation, wave equation. Heat conduction equation and its application, to rectangular bar with finite and infinite length.  Definition of group, subgroups, classes, invariant subgroups, factor group complexes, Isomorphism and Isomorphism group representation. Direct sum and product, Reducible and irreducible representations, Schur's Iemmas and orthoganility theorem, character of a representation some applications of group theory in physics: classification of states and elementary particles splitting of energy levels, Matrix elements and selection rules.  III Functions of Complex Variable  Definition, Argand diagram, function of a complex variable, Derivatives, Analyticity of complex function. Cauchy-Reimann conditions, Cauchy's theorem, Cauchy's intergral formula, poles, residue, Cauchy's Residue theorem, Contour Integration.  IV Special Functions and Spherical Harmonics  Legendre, Bassel; Hermite and laugurre functions. Their generating functions, Recursions, relations properties.  Spherical Harmonics, Series solutions of Hermite and Laugurre polynomials, their generating functions, orthogonality, Associated Laugurre polynomials. Hypergeometric functions, representation of Bessel, Laugurre and Legendre functions in terms of hypergeometric functions.  V Integral Transform  Fourier transform and its properties. Applications to potential and oscillatory problems.	Sel 8 gu	Vectors, Matrices and Tensors
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